# NARM: A NEURAL CONTROLLER FOR COLLISION-FREE MOVEMENT OF GENERAL ROBOT MANIPULATORS

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# NARM: A Neural Controller For Collision-Free Movement of General Robot Manipulators

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Abstract: This paper presents an approach for the collision-free control of general robot manipulators moving among a changing set of obstacles. The Neural Adaptive Robot Manipulator (NARM) controller, based on a layered, neural network architecture, adapts to the specific eye/hand and arm/body kinematics of any arbitrarily shaped robot during an initial, unsupervised training phase. After training, the robot selects a target point by "glancing" at it and the controller moves the end-effector into position. Collision-free movement is produced regardless of the number or arrangement of obstacles in the workspace. Moreover, no additional learning is required if the obstacle set is changed. This approach has several advantages over traditional algorithmic solutions and extends previous work on neural manipulator control. Results of a simulation are presented.

#### I. Introduction

Traditionally, designing a robot control system involves two steps: first, a set of kinematic equations which express the physical constraints of the robot are derived, and second, a computer program employing these equations is written to generate arm configuration sequences that move the robot's end-effector from its current position to a target position. While these programs work well in the laboratory, they often suffer from serious limitations when applied to realistic environments. This is because the real world is a hostile place for robots. Wear and tear on mechanical parts changes the kinematics of manipulators and sensor characteristics tend to wander with time. When such changes occur, the control program must be updated or the robot must be maintained. Realistic workspaces also often contain sets of unpredictable obstacles. Avoiding collisions with these obstacles adds significantly to the complexity of programs and can slow response time if the obstacles have complicated shapes or change position often. Nature on the other hand has designed systems which deal with these kinds of problems remarkably well. The key to this success is a high degree of autonomous adaptive learning.

Neural architectures offer an alternative approach to the design of robot control systems. Like biological systems, neural architectures support a high degree of adaptability and are capable of learning sensory-motor constraints from training examples. Various authors have investigated neural architectures for manipulator control (Bullock and Grossberg<sup>3</sup>, Grossberg and Kuperstein<sup>8</sup>, Kuperstein<sup>12</sup>, Tsutsumi<sup>18,19</sup>, Elsley<sup>20</sup>). We extend this work by developing an architecture that, in addition to learning kinematic constraints for eye-hand coordination, also learns obstacle avoidance constraints that can be used to rapidly find collision-free movements of the arm. In this paper we show how the architecture is able to learn to generate, in constant time, many alternative solution configurations which touch a target point, and we show how learned collision constraints may be used to find a collision-free arm movement. Collision avoidance constraints are learned once. No additional learning is required if the obstacle set changes. For a more complete treatment and error analysis, see Graf<sup>6</sup>. The accuracy of our approach, as with most neural systems, is dependent on the number of neural processors and interconnections available. Although the number of processors increases rapidly with the complexity and precision of the manipulator, we are encouraged by the work of Y. Abu-Mostafa and D. Psaltis (Abu-Mostafa and Psaltis et al<sup>16</sup>) which demonstrates the feasibility of optical systems supporting thousands of processors and millions of connections. We also point out that, for many applications, small networks capable of less precision are accurate enough to plan broad movements of the manipulator. These networks can be combined with other mechanisms to refine this movement near a target.

### 2. System Architecture

Figure 1 is a schematic representation of the architecture of our adaptive robot. In order to simplify the presentation, we limit our discussion to a 2-dimensional robot with a 2 degree-of-freedom, revolute-jointed arm. It should be emphasized however that our approach generalizes to 3-dimensional robots and arms of any number of degrees-of-freedom. In addition, the arm links may be of arbitrary shape and the arm joints may be revolute and/or prismatic. The robot consists of a body B of arbitrary shape, a J degree-of-freedom manipulator, and a sensory pallet containing stereo cameras or range finders  $C_1$  and  $C_2$  mounted on the robot body at a point that provides a clear line of sight to the end effector E.  $C_1$  and  $C_2$ , hereafter called the eyes of the robot, can be turned independently. Joints  $J_1$  and  $J_2$  each have joint angle sensors which output the amount,  $\theta_1$  and  $\theta_2$ , that the associated links  $L_1$  and  $L_2$  are offset from their rest positions. We will refer to the vector  $\theta$  as a joint angle vector or arm configuration. When the line of sight of each eye is centered on a workspace point  $p_g$ , called a point of gaze, the eye motor displacement angles,  $\Psi_1$  and  $\Psi_2$ , uniquely define its direction and distance. A D-dimensional workspace will require a minimum of D displacement angles to uniquely specify each point of gaze. We will refer to  $\Psi$  as an eye angle vector or eye configuration.

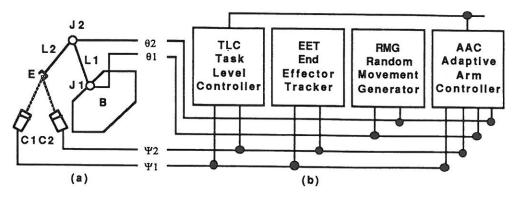
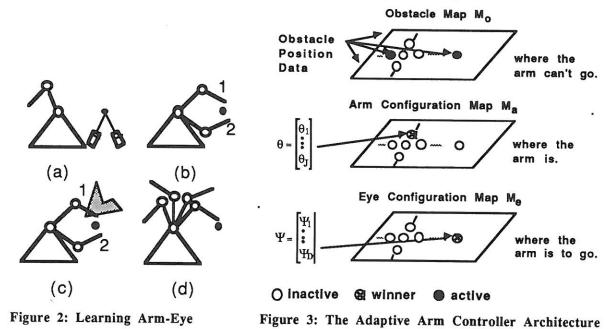


Figure 1: The Adaptive Robot Architecture

The four control subsystems of the robot are shown in Figure 1b. The task level controller (TLC) is a high-level task planner that selects a target point and orients the eyes toward it. Glancing at the point directs the arm to touch it with the end-effector. Targets are selected relative to the current sensory view rather than by referring to an objective, universal coordinate system. The end-effector tracker (EET) is a primitive controller that orients the eyes toward the tip of the end-effector whenever the TLC is not otherwise determining the point of gaze. The EET is ignorant of the kinematics of the arm. It merely tracks a moving light source or pattern that is attached to the end-effector. During learning, the random movement generator (RMG) increments each joint angle by small random amounts. We assume that, if the arm is brought into contact with an obstacle, force sensors prevent it from being damaged until its random movements free it. The EET will track the end-effector as the arm moves randomly through the workspace. The adaptive arm controller (AAC), the focus of this paper, receives joint angle feedback  $\theta$  from the arm, eye angle feedback  $\Psi$  from the sensory pallet, and information regarding the positions of objects in the workspace.  $\Psi$  can also be taken from the TLC, rather than directly from the eye angle sensors, allowing the TLC to propose target points that the eyes are not currently viewing.

Initially, the AAC has no knowledge of the kinematics of the eye/arm/body combination it is associated with. During a preliminary training phase, it must learn to associate eye angle vectors with one or more target arm configurations that place the end-effector within an allowable distance from the target point as shown in Figures 2a,b. Once training is complete and the TLC has selected a target, the AAC must generate a sequence of joint control vectors that move the arm from its current configuration to one of the target configurations. A joint control vector consists of J joint angles that the joint motors are to assume. Learned obstacle avoidance constraints must prevent the AAC from generating undesired arm configurations such as configuration 1 in Figure 2c. In short, the controller must learn a "sense of space" (Kuperstein 12) from its own sensory-motor experiences.



Configurations

## 3. The Adaptive Arm Controller Architecture

The AAC consists of three layers of neural processors as shown in Figure 3: an obstacle map  $M_0$ , an arm configuration map  $M_0$ , and an eye configuration map  $M_0$ .  $M_0$  represents regions of the workspace where the arm cannot go,  $M_0$  represents where the arm currently is and where it can be (the configuration of the arm determines the position of the end effector), and  $M_0$  represents the place where the arm is intended to go (the target point of gaze that the end effector must touch).

# 3.1 How The AAC Is Used To Move The Arm To A Target

Before considering a detailed view of each map, we offer an intuitive explanation of the steps that move the end-effector to the point being looked at. Each workspace point occupied by an obstacle activates a processor in  $M_O$ , the current arm configuration activates one processor in  $M_a$ , and the target point of gaze activates one processor in  $M_C$ . Intermap connections associate regions of space in  $M_O$  with arm configurations in  $M_a$ , and eye configurations in  $M_C$  with arm configurations in  $M_A$ . Figures 4a,b illustrate these connections in two parts to make the presentation clear. In practice however, these two stages of processing occur in parallel. As shown in Figure 2b, each eye configuration corresponds to one or more target arm configurations. Consequently, as shown in Figure 4a, connections from the active processor in  $M_C$  cause one or more target configuration processors in  $M_C$  to be activated (black circles). Figure 4b shows that connections from active processors in  $M_C$  inhibit those processors in  $M_C$  (gray circles) that correspond to arm configurations intersecting obstacles (e.g., configuration 1 in Figure 2c). At this point, the output signals of processors in  $M_C$  represent the current arm configuration, the possible target arm configurations and those arm configurations which result in collisions with obstacles.

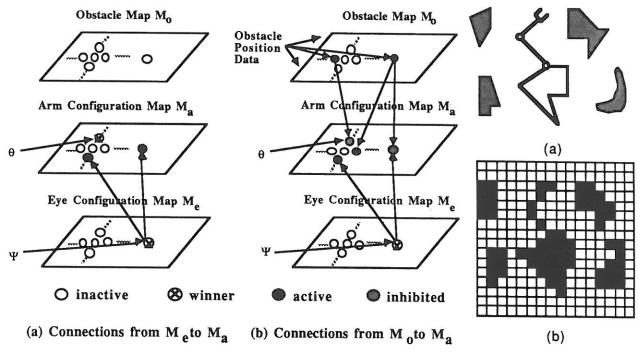


Figure 4: Inter-Map Connections

Figure 5: The Obstacle Map

If two important conditions that we discuss in a moment hold, the final step of finding an arm movement sequence (not shown here), is simply a matter of finding a path — a chain of neighbouring processors — through  $M_a$ , that does not include an inhibited processor, extending from the current arm configuration processor to any un-inhibited target configuration processor. The sequence of arm configurations associated with processors on this path will safely lead the arm to the targetted point of gaze. Path finding is a well understood computational problem and many efficient serial and parallel algorithms already exist to find paths with desired characteristics. For example, if the arm configuration map is also a systolic array, we may use a modified version of the algorithm by Miller and Stout  $^{15}$  to find a minimal path in  $O(\sqrt{n})$  time (where n is the number of processors in the arm configuration map  $M_a$ ). Limited space prevents us from describing the details of the path finding mechanism in this paper.

The two conditions necessary for path finding are that: (1) processors in  $M_a$  only correspond to arm configurations which are possible given the kinematics of the arm, and (2) processors which are neighbors in  $M_a$  correspond to arm configurations that are neighbors in the configuration space of the arm. The first condition is necessary in cases where the arm has restricted ranges of movement. The AAC must not try to move the arm into impossible configurations.

The second condition is necessary to ensure that a connected path of processors in  $M_a$  corresponds to a smooth and continuous movement of the arm. We now have a closer look at each layer and the laws that allow the AAC to find the necessary inter-layer connections and satisfy conditions for path finding.

## 3.2 Further Detail Regarding The Maps

We refer to the i<sup>th</sup> processors in maps  $M_0$ ,  $M_a$  and  $M_e$  as  $o_i$ ,  $a_i$  and  $e_i$  respectively (see Figure 6). The activation values for these processors are denoted by  $\alpha(o_i)$ ,  $\alpha(a_i)$  and  $\alpha(e_i)$ , and the output signals by  $\beta(o_i)$ ,  $\beta(a_i)$  and  $\beta(e_i)$ . The input weight vectors from the joint angle sensors to processor  $a_i$  are denoted  $\mu(a_i)$ ; the input weight vectors from the eye motor angle sensors to processor  $e_i$  are denoted by  $\mu(e_i)$ . The inter-map connection weight from processor  $e_i$  to  $e_i$  is denoted  $e_i$ ,  $e_i$ . The special boundary processor  $e_i$  which occurs in equation 3.2.4 is described in section 4.3.

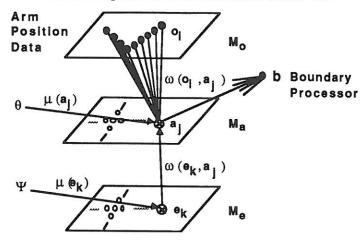


Figure 6: Learning Involves Weight Modification

The obstacle map is an egocentric image of the robot's workspace centered on an arbitrary fixed point (such as the first joint of the arm - see Figure 5a). Imagine a D-dimensional grid superimposed onto the workspace as in Figure 5b. Each grid cell is the receptive field of a corresponding  $M_{\rm O}$  processor. This processor is active only if an obstacle falls into the receptive field. In a 2-dimensional workspace, the obstacle map activation pattern most naturally corresponds to a high-contrast, or back-lit image produced by a camera suspended above the robot. Equations 3.2.1 to 3.2.6 describe the post-training activation and output signal rules for processors in  $M_{\rm O}$ ,  $M_{\rm A}$  and  $M_{\rm C}$ .

#### POST-TRAINING PHASE:

$\alpha(o_i)_t$	=	<ul><li>1, if obstacle in receptive field</li><li>0, otherwise</li></ul>			
$\beta(o_i)_t$	=	$\alpha(o_i)_t$	[3.2.2]		
$\alpha(a_j)_t$ $\beta(a_j)_t$	=	$\begin{split} &\ \theta_t - \mu(\mathbf{a_j})_t\  \\ &1,  \text{if}  \alpha(\mathbf{a_j})_t = \min_{\forall \mathbf{q}} \ \theta_t - \mu(\mathbf{a_q})_t\  \\ &\qquad \qquad \text{"Winner"}   \text{OR} \end{split}$	[3.2.3]		
		$\beta(e_k)_t \cdot \omega(e_k, a_j) > 0 \text{ (and not Inhibited)} \qquad \text{"Target"} \\ -1,  \text{if} \qquad \beta(o_i)_t \cdot \omega(o_i, a_j) > 0 \text{ OR } \beta(b)_t \cdot \omega(b, a_j) > 0 \qquad \text{"Inhibited"} \\ 0  \text{otherwise} \qquad \qquad \text{"Inactive"}$	[3.2.4]		
α(e <sub>k</sub> ) <sub>t</sub> β(e <sub>k</sub> ) <sub>t</sub>	=	$\begin{aligned} & \ \theta_t - \mu(\mathbf{e_k})_t\  \\ & 1, & \text{if}  \alpha(\mathbf{e_k})_t = \min_{\forall \mathbf{q}} \ \theta_t - \mu(\mathbf{e_q})_t\  \\ & 0, & \text{otherwise} \end{aligned}$	[3.2.5] [3.2.6]		

The processors in the arm and eye configuration maps of the AAC receive configuration vectors as input from the robot. Each processor has a weight vector  $\mu$  associated with its input lines. When an input is presented to the network, processors compete to "represent" it. The processor with the weight vector closest to the the input vector in the input space wins the competition by becoming active. This behavior quantizes the input space into Voronoi regions which represent sets of input vectors that activate each processor. The precision of the system is directly related to the resolution of this Voronoi tessellation as shown in  $Graf^6$ , and can therefore be made as fine as desired by adding processors to the system. Equations relating the number of nodes per processor to the allowable error are also given there.

These maps also have self-organizing properties that satisfy the two conditions described in section 3.1. Both conditions are necessary in Ma to ensure error-free path finding. Any self-organizing laws that (1) cause the distribution of weight vectors in the input space to asymptotically converge on an approximation of the training data distribution, and (2) preserve the topology of the network in the input space may be used (see Erdi and Barna<sup>4</sup>, Kohonen<sup>10</sup>,11, Ritter and Schulten<sup>17</sup>). We have employed the laws described by Kohonen<sup>10</sup> in our simulation. The first condition ensures that weights  $\mu$  are distributed over the same area of the configuration space as the training configurations. Since arm configurations that occur during training are by definition possible, processors on a path through Ma (after training) will have weights that correspond to legal arm configurations. The second condition ensures that adjacent processors on a path will have weight vectors that are neighbors in configuration space and therefore represent only small changes in arm configuration. Such a path represents smooth and continuous movements of the arm. The Ma path finding mechanism must be capable of distinguishing between the winning (current) configuration processor (start of path), active target processor (end of path), inhibited configuration processor (not on path) and all other processors (possibly on path).

Finally, the  $M_0$  and  $M_e$  maps are fully connected to the  $M_a$  map; i.e., every processor in the obstacle and eye configuration maps is connected to every processor in the arm configuration map via a link weight  $\omega$ . A weight of 0 indicates no connection; this is the initial situation for all processors. During training, if two interconnected processors are simultaneously active, the connection strength is increased, thus "growing" a connection between the processors; otherwise, the connection decays, eventually forgetting any association between the processors.

#### 4. How The System Learns

In the simplest version of the system we have simulated, only the arm is represented by activations in  $M_O$  during the training phase and obstacles are not introduced until training is complete. Before training begins, all  $\mu$  are set to random values and all  $\omega$  are set to 0. As the arm is driven by the RMG, the end effector randomly wanders through a representative set of workspace points. The EET tracks this movement with the eyes. Sensors are sampled at regular intervals to (1) activate  $M_O$  processors with receptive fields intersected by the arm, (2) provide  $M_A$  with a joint angle vector  $\theta$ , and (3) provide  $M_C$  with an eye angle vector  $\Psi$ . Although it is possible to adapt both  $\mu$  and  $\omega$  weights simultaneously, a two step training cycle has proven to be quicker and more accurate.

#### 4.1 Self-Organization Step

Kinematic constraints on arm movement and viewable workspace points are represented by the shapes of the distributions of training  $\theta$  and  $\Psi$  respectively. During this step, the self-organizing laws described in section 3.2 distribute  $M_a$  weights  $\mu(ai)$  over the region of the arm configuration space that corresponds to legal movements of the arm and  $M_e$  weight vectors  $\mu(ei)$  are distributed over the region of eye configuration space that corresponds to eye angles that focus the eyes on points of gaze in the workspace of the robot. Furthermore, the  $M_a$  and  $M_e$  network topologies are preserved in these spaces. Equations 4.1.1 to 4.1.8 express the self-organizing rules used during training.

#### TRAINING PHASE:

$\alpha(o_i)_t$	=	<ol> <li>if arm in receptive field</li> <li>otherwise</li> </ol>	[4.1.1]
$\beta(o_i)_t$	=	$\alpha(o_i)_t$	[4.1.2]
$\alpha(a_j)_t$	=	$\ \theta_t - \mu(\mathbf{a_j})_t\ $	[4.1.3]
$\beta(a_j)_t$	=	1, if $\alpha(a_j)_t = \min_{\forall q} \ \theta_t - \mu(a_q)_t\ $ 0, otherwise	[4.1.4]
$\mu(a_j)_{t+1}$	=	$\mu(\mathbf{a_j})_t + \lambda_t \cdot \delta(\mathbf{a_j})_t \cdot (\theta_t - \mu(\mathbf{a_j})_t)$	[4.1.5]
$\alpha(e_k)_t$ $\beta(e_k)_t$	=	$\begin{aligned} &\ \theta_t - \mu(e_k)_t\  \\ &1, & \text{if}  \alpha(e_k)_t = \min_{\forall q} \ \Psi_t - \mu(e_q)_t\  \\ &0, & \text{otherwise} \end{aligned}$	[4.1.6] [4.1.7]
$\mu(e_k)_{t+1}$	=	$\mu(e_{\mathbf{k}})_t + \lambda_t \cdot \delta(e_{\mathbf{k}})_t \cdot (\Psi_t - \mu(e_{\mathbf{k}})_t)$	[4.1.8]

 $\lambda_t$  is a function which exponentially decreases from 0.5 to 0.01 during the first 3,000 iterations of the self-organizing step.  $\delta(p)_t$  is a function with value 1 if processor p falls within a radius of r processors from the winning (active) processor. Radius r decreases from 0.25 times the width of the network to 1 during the first 3,000 iterations. We have found that good approximations to the training distributions are typically achieved within 60,000 iterations.

## 4.2 The Inter-Map Association Step

Eye/hand coordination constraints are represented in the training data by consistencies between  $\theta$  and  $\Psi$  vectors. Obstacle avoidance constraints are represented by consistencies between  $M_0$  activation patterns and  $\theta$  vectors. During this step equation 4.2.1 causes connections to grow between each  $M_0$  processor  $o_i$  and all  $M_a$  processors  $a_j$  corresponding to arm configurations that intersect the receptive field of  $o_i$ . These inhibitory connections act as an adaptive data structure which eliminates impossible arm configurations from movement paths. Equation 4.2.2 describes connection growth between  $M_0$  processor  $e_k$  and all  $M_a$  processors  $e_k$  and all  $e_k$  processors  $e_k$  and  $e_k$  processors  $e_k$  and  $e_k$  processors  $e_k$  and  $e_k$  processors  $e_k$  and  $e_k$  processors  $e_k$  processors

$$\omega(o_i, a_j)_{t+1} = \omega(o_i, a_j)_t + \xi \cdot \beta(o_i)_t \cdot \beta(a_j)_t - \chi \cdot \omega(o_i, a_j)_t$$

$$\omega(e_k, a_j)_{t+1} = \omega(e_k, a_j)_t + \xi \cdot \beta(e_k)_t \cdot \beta(a_j)_t - \chi \cdot \omega(e_k, a_j)_t$$
[4.2.1]

Coefficients  $\xi$  and  $\chi$  control the rate of connection growth and decay. Similar equations have been extensively studied by Grossberg (e.g. Grossberg<sup>7</sup>). The density of training points needed is dependent on the number of Voronoi regions in  $M_a$  and  $M_e$ . We have found that approximately 10,000 iterations are sufficient for networks of 900 processors or less.

## 4.3 Boundary Determination

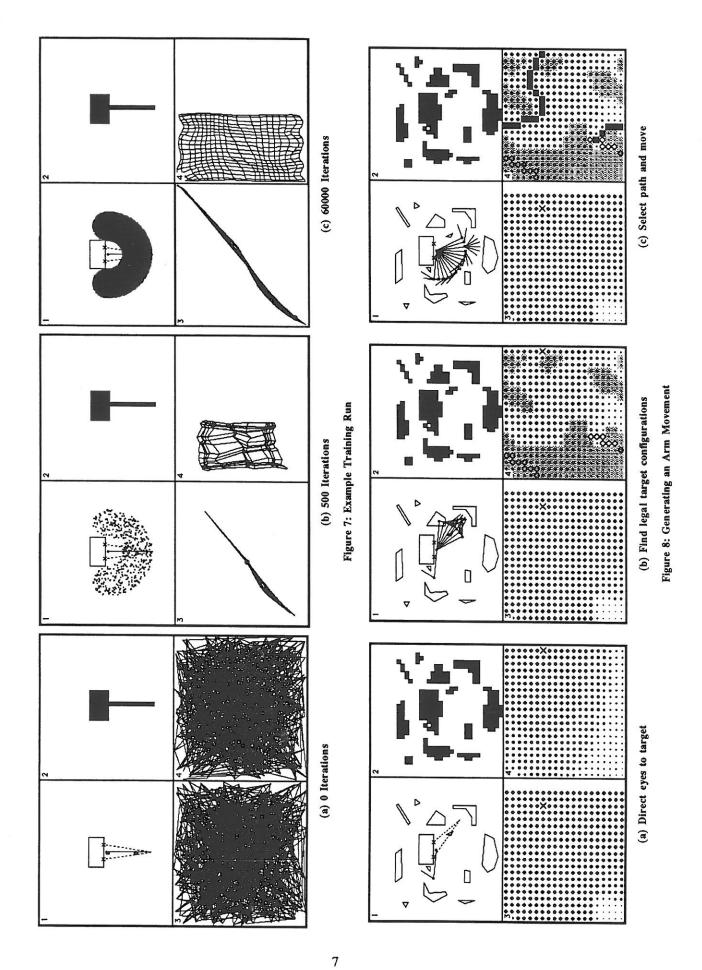
Paths through  $M_a$  must not cross regions of configuration space corresponding to impossible arm movements. A simple mechanism is used to inhibit processors on the boundary of such regions. Boundary inhibition guarantees that the path finder will generate paths which circumvent these regions rather than crossing them. Boundary processor b is active during training whenever any arm joint reaches a limit of movement, or the joint motor sensors detect resistance to movement (due to the body of the robot - see equation 4.3.1). Equation 4.3.3 describes inhibitory connection growth (during training) from b to all  $M_a$  processors that represent arm configurations bordering these regions. After training, processor b is permanently activated to inhibit bordering configurations.

#### TRAINING PHASE:

$\alpha(b)_t$	=		nt is at limit of movement range) tance to movement occurs)	OR	[4.3.1]				
β(b) <sub>t</sub> ω(b,a <sub>j</sub> ) <sub>t+1</sub>	=	$x(b)_t$ $y(b,a_j)_t + \xi \cdot \beta(b_j)_t$	$(b)_{t} \beta(a_{j})_{t} - \chi \cdot \omega(b, a_{j})_{t}$		[4.3.2] [4.3.3]				
POST-TRAINING PHASE:									
$\alpha(b)_t$	=				[4.3.4]				
$\beta(b)_t$	=	α(b) <sub>t</sub>			[4.3.5]				

#### 4.4 Ongoing Adaptation

Once initial learning is complete, unplanned kinematic and sensor calibration changes are accommodated by a process of ongoing adaptation. We provide only a simplified description in this paper. As the arm moves through paths selected by the AAC, the EEC tracks the end effector, generating new training data. This data is used to gradually alter the distributions of  $\mu$  in  $M_a$  and  $M_e$ , and to grow new inter-map connections if the robot has changed in some way. If the changes are small and gradual, small shifts in  $\mu$  will introduce only a few errors in inter-map connections. These errors will be corrected as these connections decay. Inter-map connections that remain correct will continue to be reinforced by training data. As expected, large, sudden changes will introduce more serious errors until the adaptive laws "catch up". In this case, it is more efficient to temporarily return to the initial training mode until the changes have been accommodated. Once a collision is detected, the decay rate  $\chi$  can be increased to forget incorrect connections more quickly.



#### 5. Simulation Results

The results of a typical training run for a simple 2 degree-of-freedom robot are shown in Figure 7. The simulation is written in ParcPlace™ Smalltalk-801 and runs on a Sun workstation. Figure 7a depicts the four simulation window views (numbered 1 through 4). View 1 is a representation of the robot and its workspace. The eyes are represented as two x's on the front of the body (rectangular in this case). The dotted lines extending from the eyes to the tip of the arm represent the lines-of-sight of each eye. View 2 represents the pattern of Mo activations (black squares are active processors). View 4 represents  $\theta$  space. The horizontal axis represents the range of  $J_1$  angles (0 to  $2\pi$ ) and the vertical axis represents the range of J<sub>2</sub> angles (0 to 2π). M<sub>a</sub> weights are shown mapped into the space by connecting neighboring weights by line segments (as in Kohonen<sup>10</sup> and Ritter and Schulten<sup>17</sup>). View 3 similarly depicts the  $\Psi$  eye angle space and  $M_e$  weights. The horizontal axis represents  $C_1$  angles (0 to  $2\pi$ ) and the vertical axis represents  $C_2$ angles (0 to  $2\pi$ ). The sequence of windows 7a,b,c show the weight vectors  $\mu$  at 0 iterations, 500 iterations and 60,000 iterations respectively. The Ma and Me network weights gradually assume the same distribution as the training data. Each dot in view 1 represents the end-effector position of a training sample. Inter-map connections are not shown. Figure 8 shows the movement sequence generated for a target point of gaze. Obstacles have now been introduced into the workspace. The bottom views have been replaced with representations of the Ma and Me networks. Each processor is represented by the distance of its weight vector  $\mu$  to the input vector. Large dots represent proximal weights, small dots represent distant weights. The processors which win the input competitions are marked with X's, target processors are diamonds, inhibited processors are shaded gray and processors on the path are black rectangles. In Figure 8a the robot has directed the eyes to a target point of gaze. Processors representing the current eye and arm configurations are activated. Figure 8b shows the Ma network at the next instant in time. The winning Me processor (view 3) has activated a set of 16 target arm configurations in Ma (view 4). Shaded processors in Ma have been inhibited by active processors in Mo. Notice that 10 target configurations have been inhibited in Ma (gray diamonds). These configurations intersect the two obstacles near the point of gaze. Figure 8c shows one of the many movement paths possible. The path generated here illustrates that paths may wrap around joint angle space if joints have unrestricted movement. The path begins at the current arm configuration (right side of view 4), extends up to  $\theta_2 = 2\pi$  and then continues from  $\theta_2 = 0$  (bottom of view) to a target configuration. The sequence of arm moves generated by this path are shown in view 1. Notice that L2 first swings up and then down to avoid collisions with obstacles as it moves to touch the target point.

#### 6. Conclusions and Future Work

We have presented a new approach for the control of general robot manipulators that possesses eight important characteristics. First, the approach is in principle capable of autonomously learning the kinematics and workspace constraints for any general robot manipulator, dispensing with the need for specialized kinematic programming. Second, the system autonomously learns eye-hand co-ordination, providing a natural form of task level control in which a target point is selected by "glancing" at it with visual sensors. Third, the system learns collision avoidance constraints which greatly simplify the task of collision-free path planning in an arbitrarily cluttered workspace. These constraints are independent of specific obstacle sets. Fourth, no additional learning is required when the obstacle set is changed. Fifth, the system can be made to adapt to changes in arm-body kinematics and joint sensor calibrations, reducing the need for maintenance. Sixth, the system can be made sensitive to the domain specific distribution of arm movements; i.e., it can automatically increase the accuracy of the arm in those regions of the workspace where precision is most needed. Seventh, the system is tolerant of random noise in the training data. Finally, the approach is fast since it is most naturally implemented by massively parallel hardware.

This approach improves upon previous adaptive arm control schemes in five ways: (1) collision avoidance constraints that guarantee collision-free movement for all possible obstacle sets are learned once, (2) more than one target arm configuration is proposed for a given point of gaze generalizing the work of Kuperstein<sup>12</sup>, (3) "virtual" obstacles as used, for example, in Tsutsumi<sup>18</sup> are not required to avoid collisions, (4) the system handles target points outside of the robot's workspace in a natural manner — the arm simply reaches toward these points, and (5) the system can be made arbitrarily precise by increasing the number of network processors. The primary disadvantage of this system is the rapid increase in the number of processors needed to provide high degrees of positioning accuracy. Optical technologies may hold the greatest promise for providing the required density of neurons and connections.

In order to enhance the practicality of our approach, we are currently investigating techniques which reduce the number of processors and connections needed for arms of many degrees of freedom.

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<sup>&</sup>lt;sup>1</sup> ParcPlace Smalltalk is a trademark of ParcPlace Systems Inc.

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